

Physics - Grade 11 S

Unit One: Waves



Chapter 1: **Waves**

Prepared & presented by : **Mr. Mohamad Seif**



OBJECTIVES

1 Define of a periodic motion.

2 Define of a vibration.

3 Characteristics of vibration

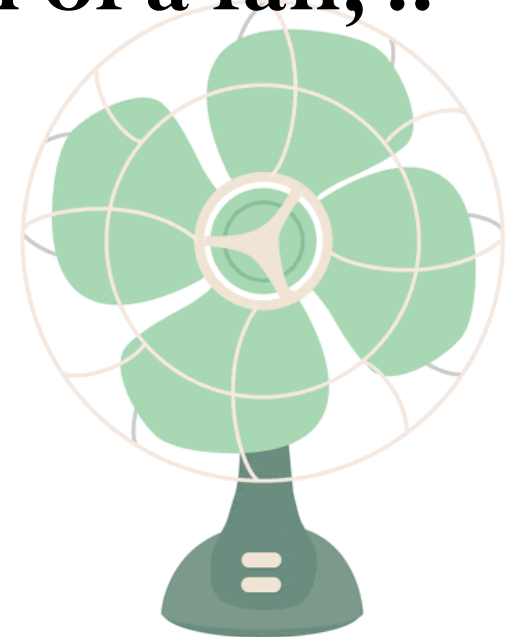
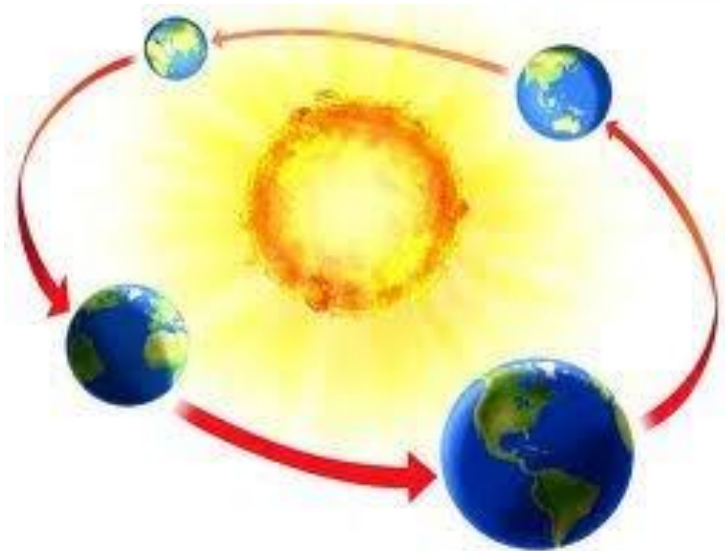
Definition of periodic motion

Periodic motion:

It is a motion that repeats itself within the same interval of time. This interval of time is called period (T)

Example:

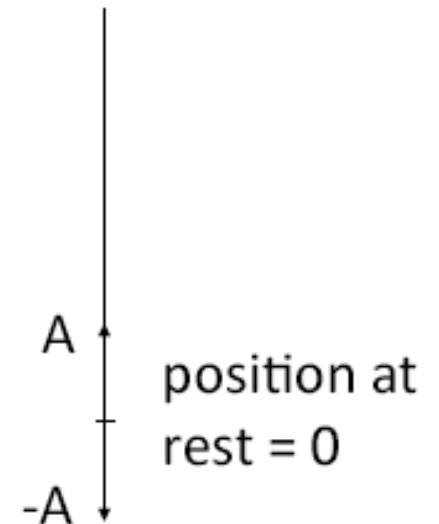
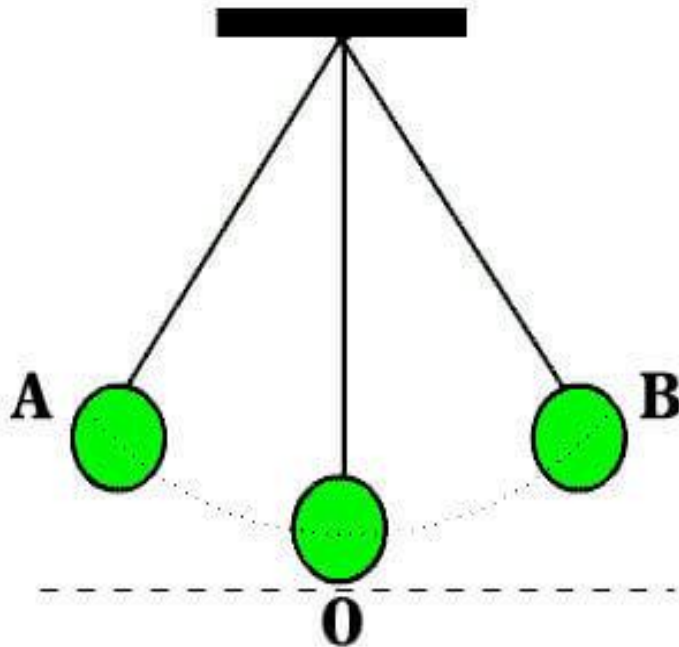
The Earth revolves around the sun, the motion of a fan, ..



Definition of vibration (oscillation)

What is a vibration?

A vibration is **one complete cycle** of repetitive back and forth motion, about a position of equilibrium, from one extreme (maximum or minimum) to another (minimum or maximum).



Characteristics of a vibration

1. Amplitude (a):

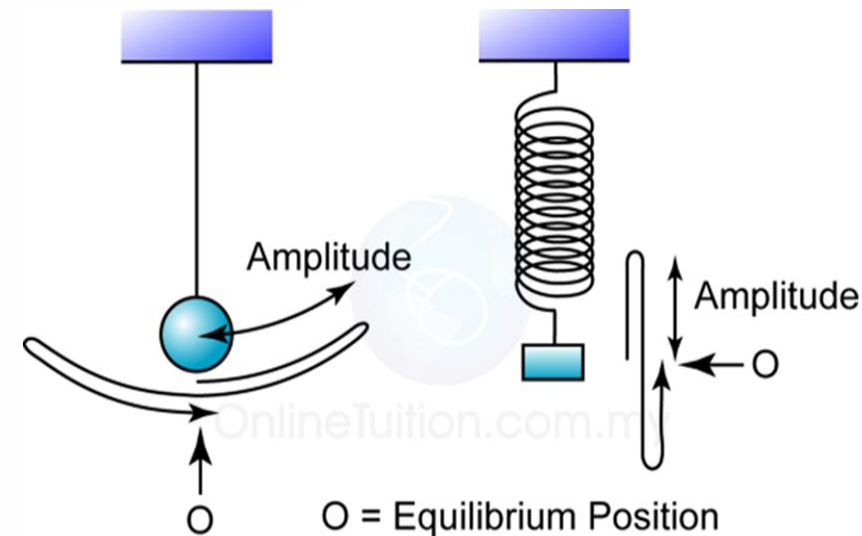
It is the maximum distance covered by the body during one vibration.

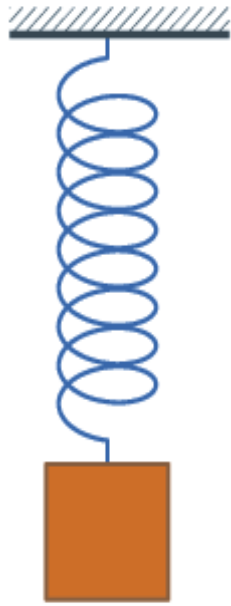
It is the distance between the position of equilibrium and the maximum or minimum.

A segment is the distance between the two extreme positions
1 vibration = 2 segments.

1 segment = 2 amplitudes.

hence 1 vibration = 4 amplitudes





Characteristics of a vibration

2.Period T :

It is the time needed to make one vibration

$$T = \frac{t}{n}$$

3.Frequency f:

It is the number of vibrations during a certain interval of time

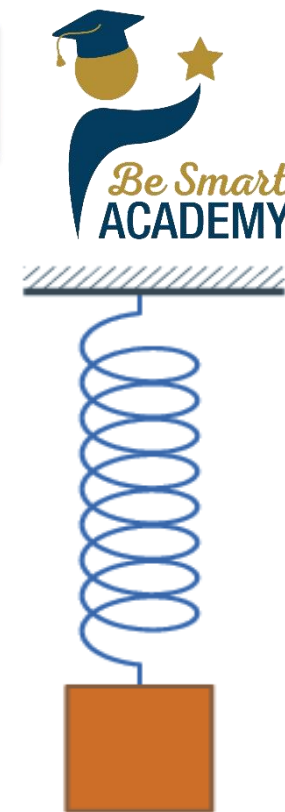
$$f = \frac{n}{t} \quad \rightarrow \quad f = \frac{1}{T}$$

Cycle	Cycle Time (seconds)
1st	2.3
2nd	2.3
3rd	2.4
4th	2.3
5th	2.3
6th	2.3

We notice that each cycle takes 2.3 s.

Hence the period is : $T = 2.3 \text{ s}$

Characteristics of a vibration



Application 1: A mass is tied to a spring and begins vibrating periodically. The distance between its highest and its lowest position is 38 cm. The pendulum is observed to complete 23 full cycles in 58 seconds.

1) Determine the amplitude of the vibrations?

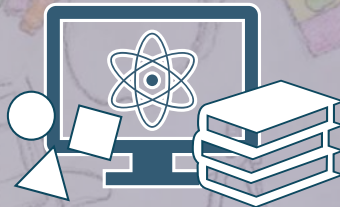
Segment = 2 amplitudes $\Rightarrow 38 = 2a \Rightarrow a = 19 \text{ cm}$

2) Determine the period and the frequency of the pendulum

$$T = \frac{t}{n} = \frac{58}{23} = 2.52 \text{ s}$$

$$f = \frac{1}{T} = \frac{1}{2.52} = 0.39 \text{ Hz}$$

The End



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Chapter 1: **Waves**

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OBJECTIVES

1 Define of waves

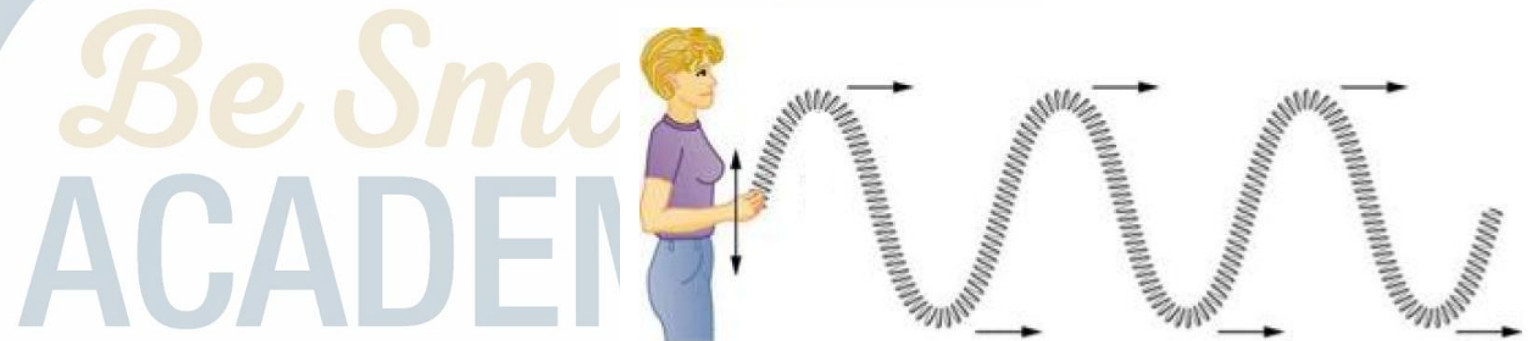
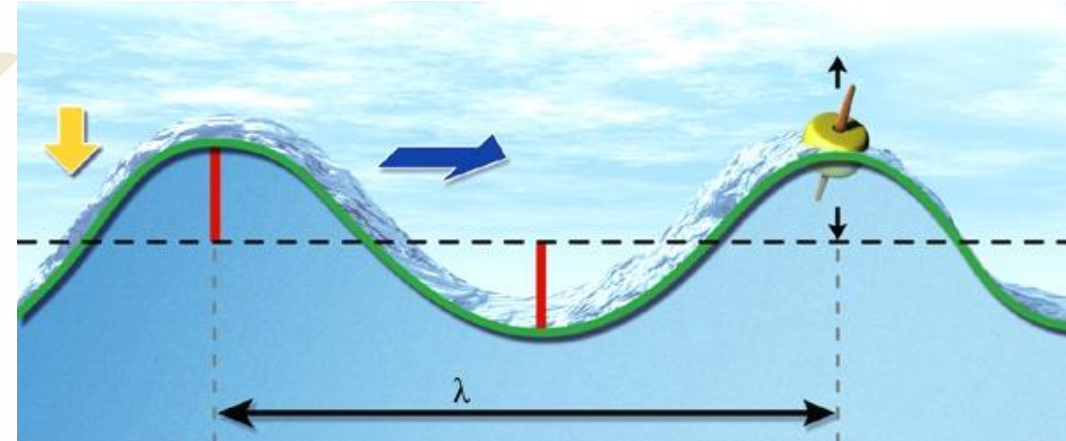
2 Characteristics of a wave

Definition of a wave

A wave is a moving vibration. (It is the propagation of a vibration).

Remark:

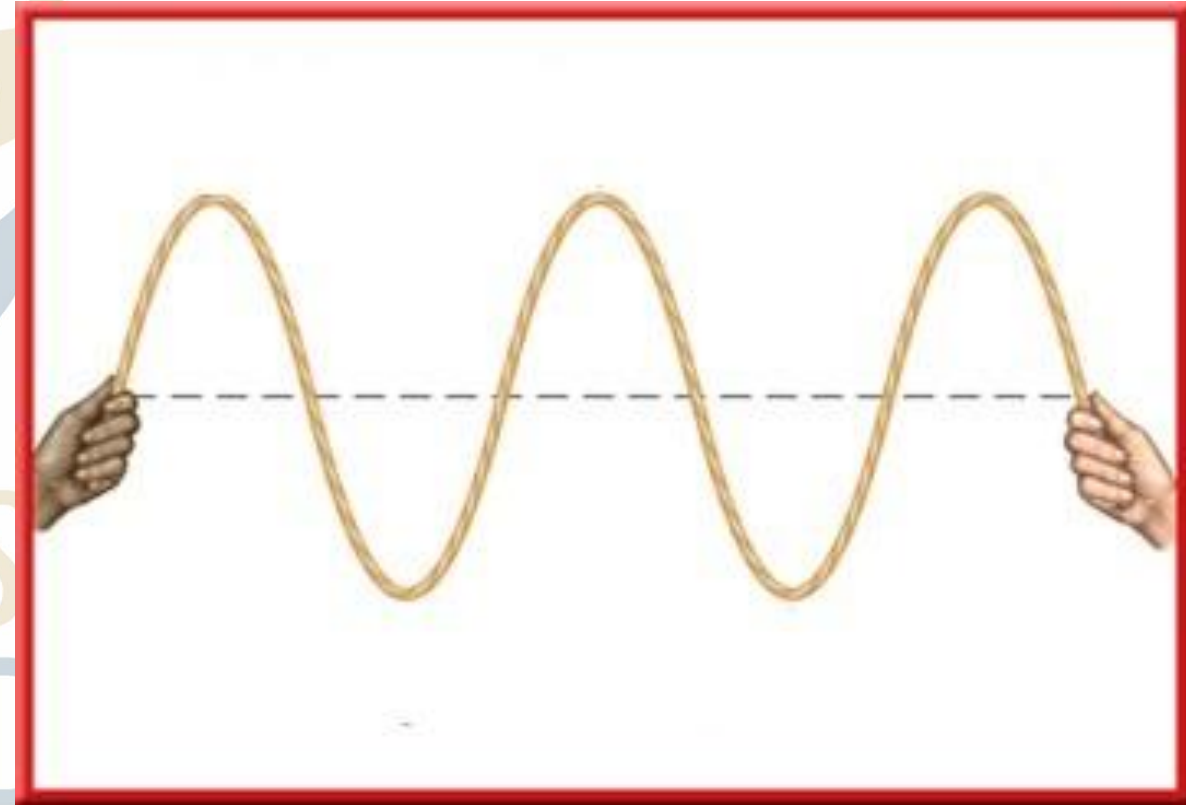
Waves transport energy and does not transport matter



Characteristics of wave

A wave is a moving vibration, so it has the same characteristics of a vibration:

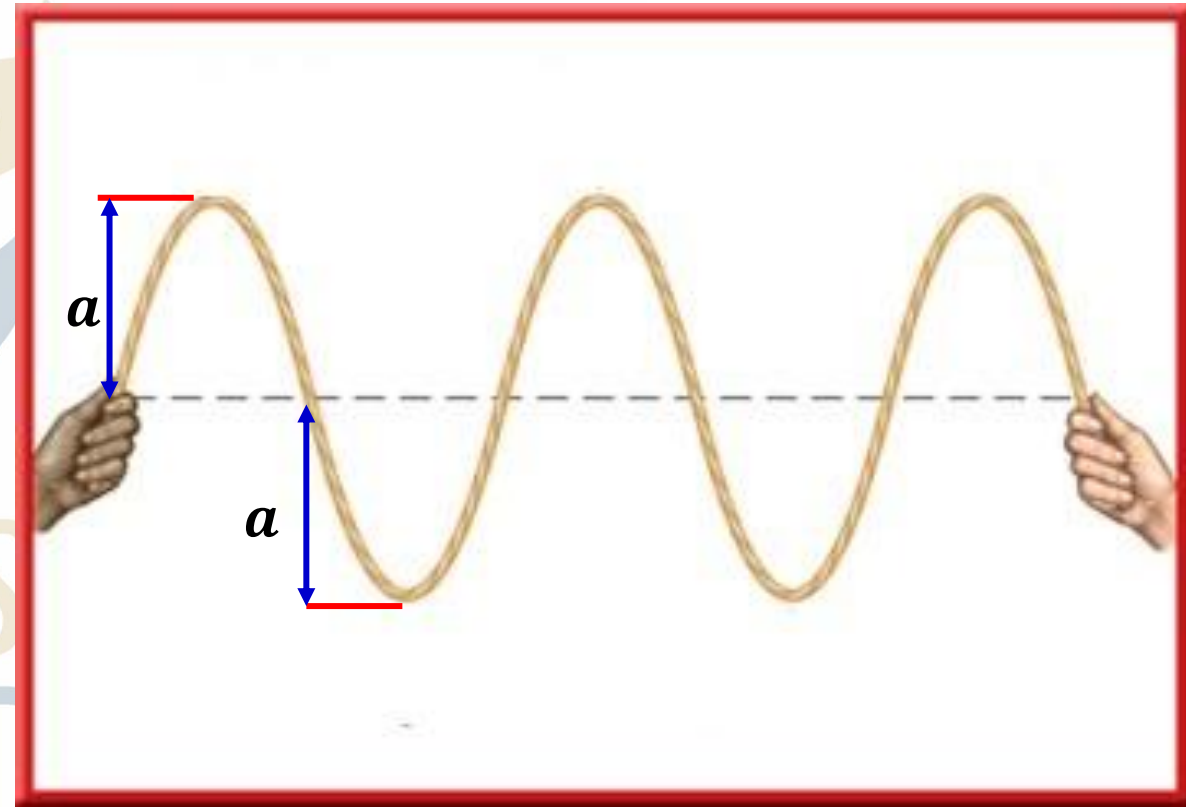
- **Amplitude:**
- **Period:**
- **Frequency:**
- **Wavelength:** A wave move, this means it covers a certain distance called wavelength (λ).
- **Speed of wave.**



Characteristics of wave

1. **Amplitude (a):** is the distance between axis and maximum (crest) or minimum point (trough).
2. **Period:** is the time for one wave, in seconds.
3. **Frequency:** is the number of waves per time. For one wave.

$$f = \frac{1}{T}$$



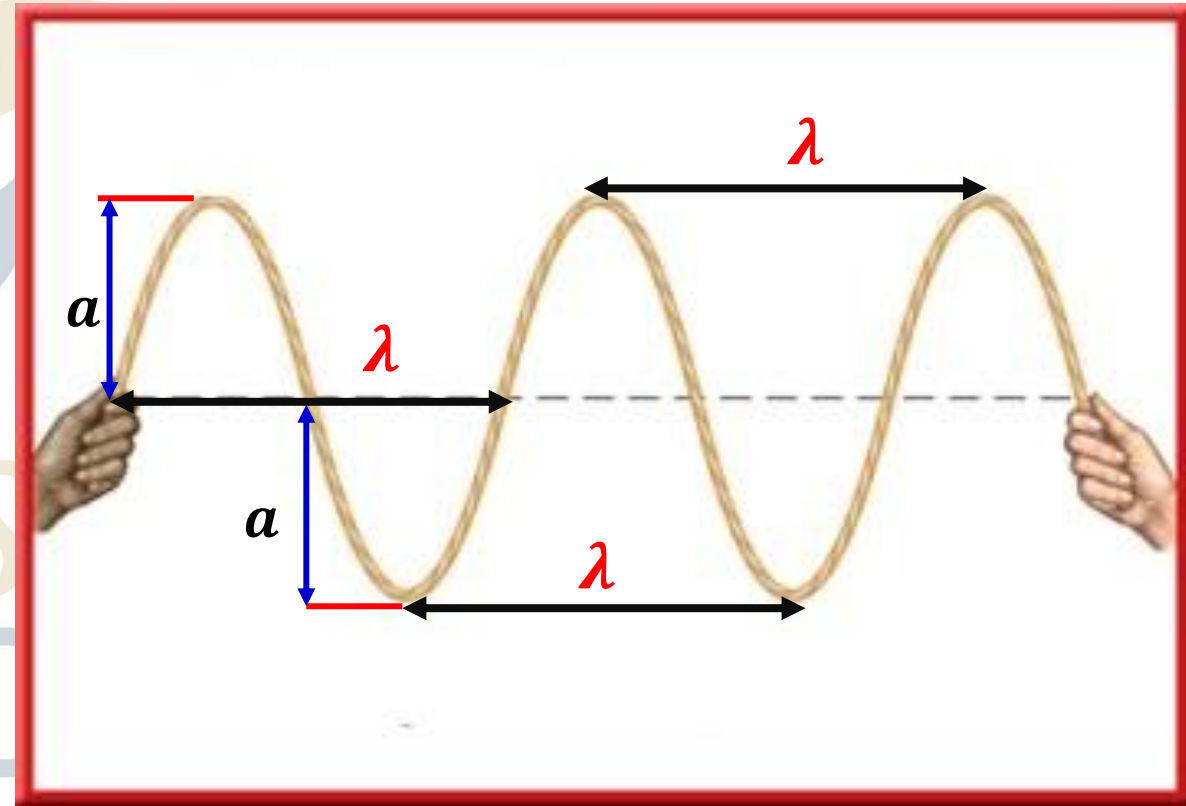
Characteristics of wave

4. **Wavelength:** for one wave the wave length is the distance traveled.

5. **A speed:** It is the distance covered by the wave per unit of time. It is in m/s

$$V = \frac{d}{t} \rightarrow V = \frac{\lambda}{T}$$

$$V = \lambda \cdot f$$



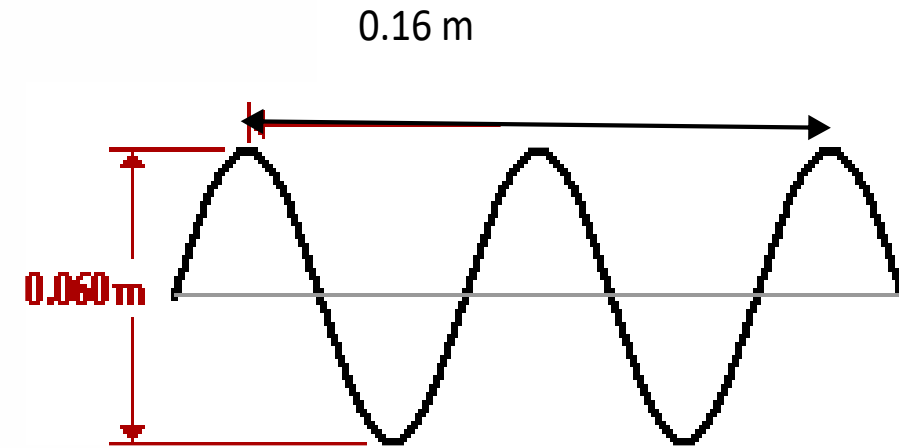
Characteristics of wave

Application 2:

The adjacent figure represent a wave.

1) Using the figure determine:

- The amplitude of the wave on the rope.
- The wavelength of the wave.



2) Knowing that the speed of the wave is 0.2 m/s , calculate its frequency.

3) A piece of fabric is placed initially at the first crest. Determine the position of the piece of fabric after 2 s . Justify

Characteristics of wave

1) Using the figure determine:

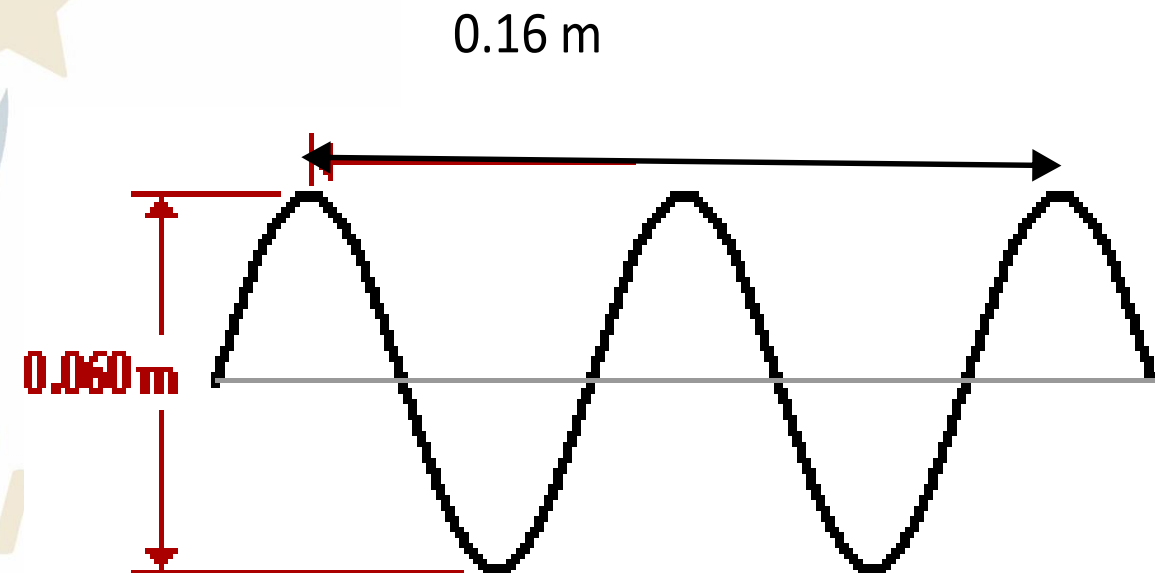
a. The amplitude of the wave on the rope

$$\text{Amplitude} = a = \frac{\text{segment}}{2}$$

$$a = \frac{0.06}{2} \Rightarrow a = 0.03 \text{ m}$$

b. The wavelength of the wave

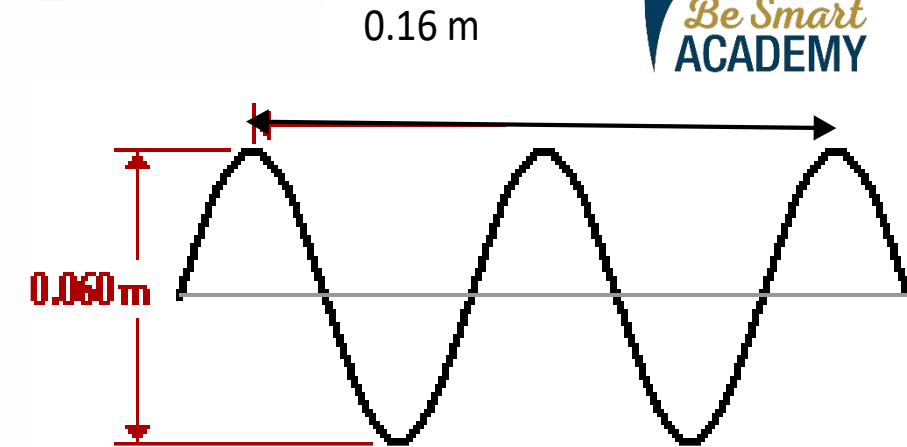
$$2\lambda = 0.16 \Rightarrow \lambda = 0.08 \text{ m}$$



Characteristics of wave

2) Knowing that the speed of the wave is 0.2m/s , calculate its frequency

$$f = \frac{v}{\lambda} \rightarrow f = \frac{0.2}{0.08} \rightarrow f = 2.5 \text{ Hz}$$



3) A piece of fabric is placed initially at the first crest. Determine the position of the piece of fabric after 2 s . Justify

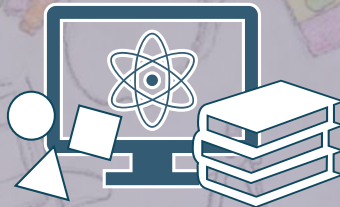
The piece of fabric be on a crest, equilibrium or trough after 2 sec ?

$$T = \frac{1}{f} = \frac{1}{2.5} = 0.4 \text{ s}$$

$$n = \frac{t}{T} = \frac{2}{0.4} = 5$$

After 2 sec , the piece of fabric is on the crest .

The End



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Unit One: Waves



Chapter 1: **Waves**

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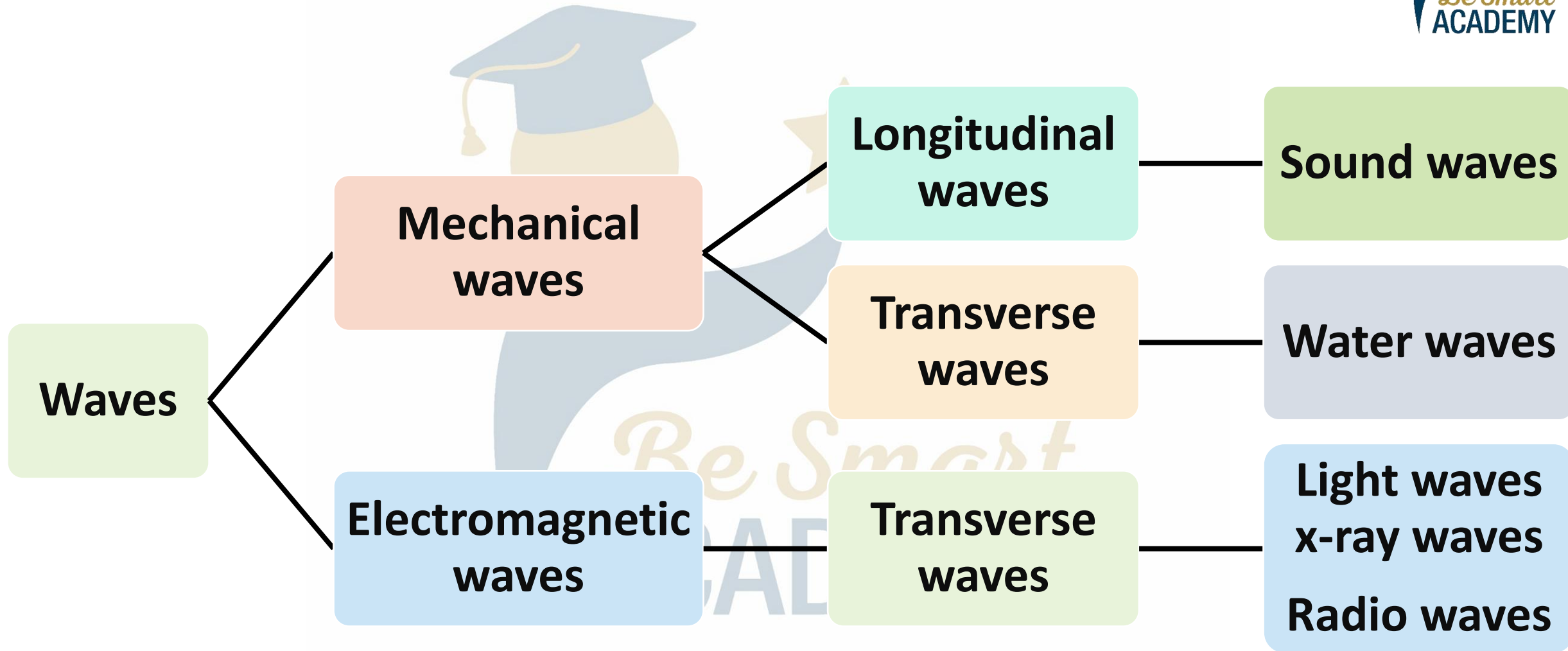


OBJECTIVES

- 1 Nature and types of waves
- 2 Vibratory state of two points belonging to a wave

ACADEMY

Nature and types of wave

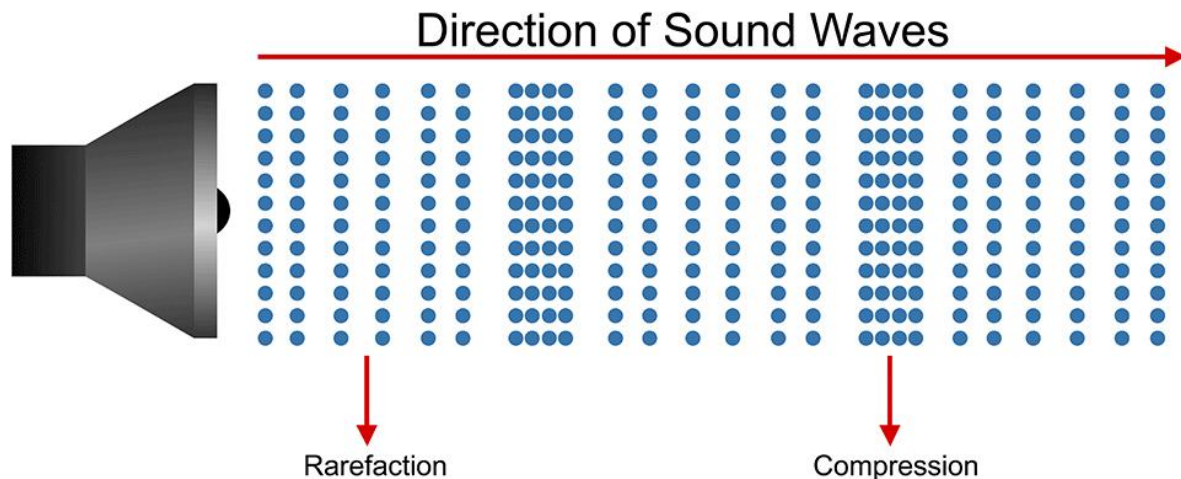


Nature and types of wave



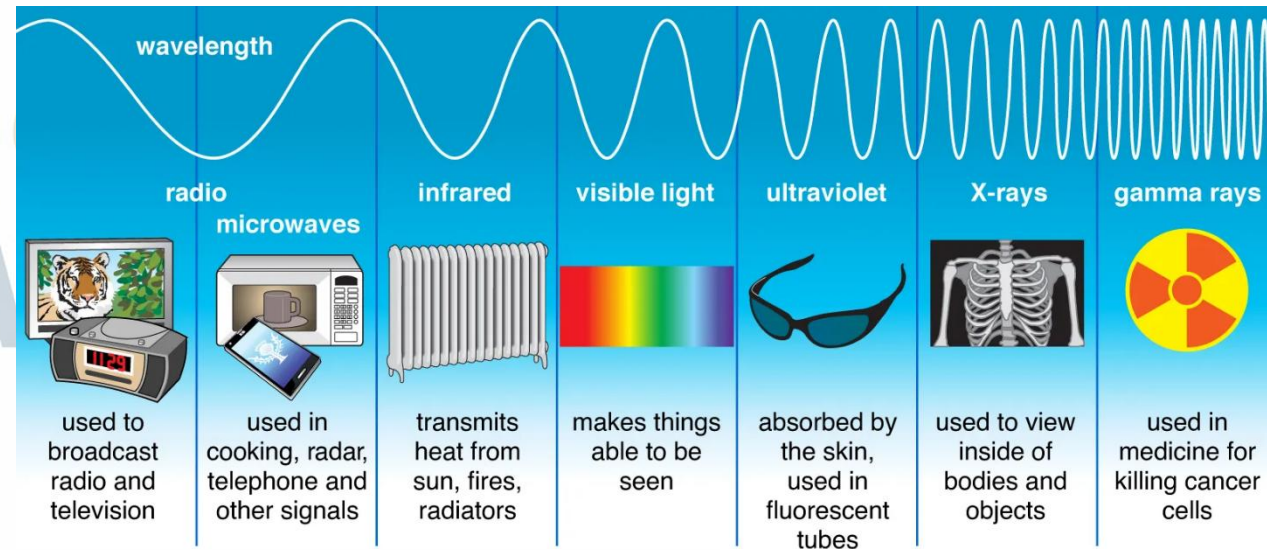
Mechanical waves:

It is a wave that needs a medium to propagate, so it can't propagate in vacuum, such as sound wave, water wave, and sound wave.



Electromagnetic waves:

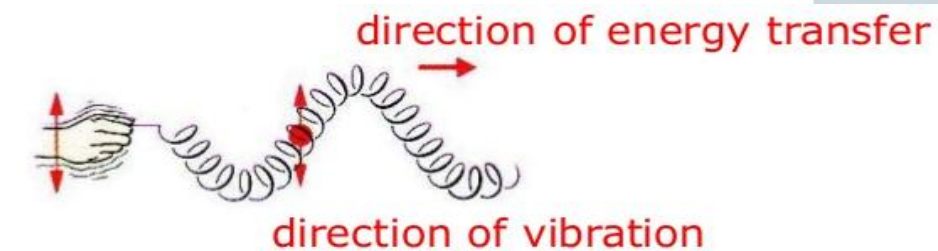
It is a wave that **doesn't require** a medium to propagate. This wave can propagate in medium or in vacuum, such as light waves



Nature and types of wave

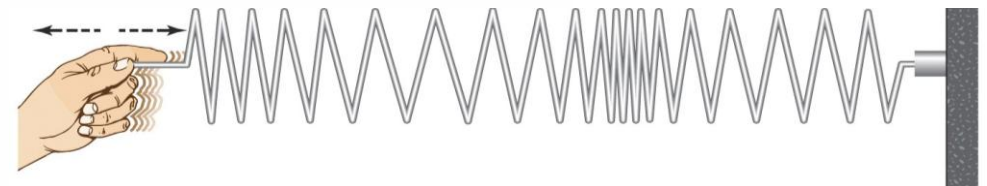
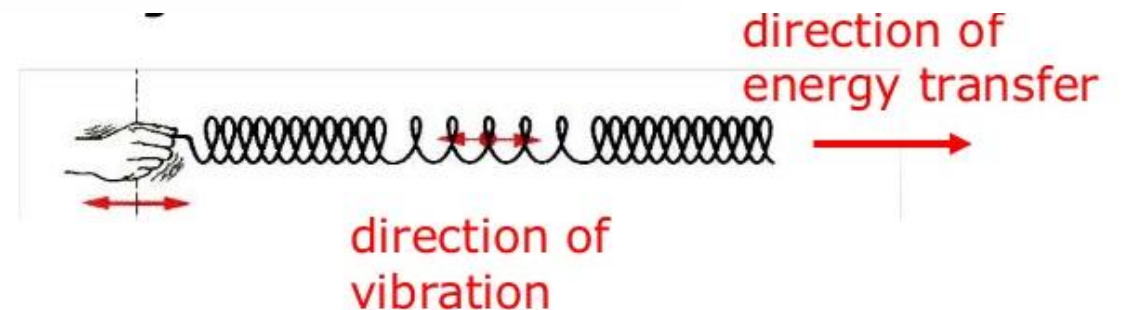
Transverse wave :

Causes the particles of the medium vibrate \perp to the direction of the wave motion
water waves, light waves...



Longitudinal wave:

Causes the particles of the medium vibrate parallel to the direction of the wave motion.
Sound waves, spring...



Vibratory state of two points belonging to a wave

Points in phase:

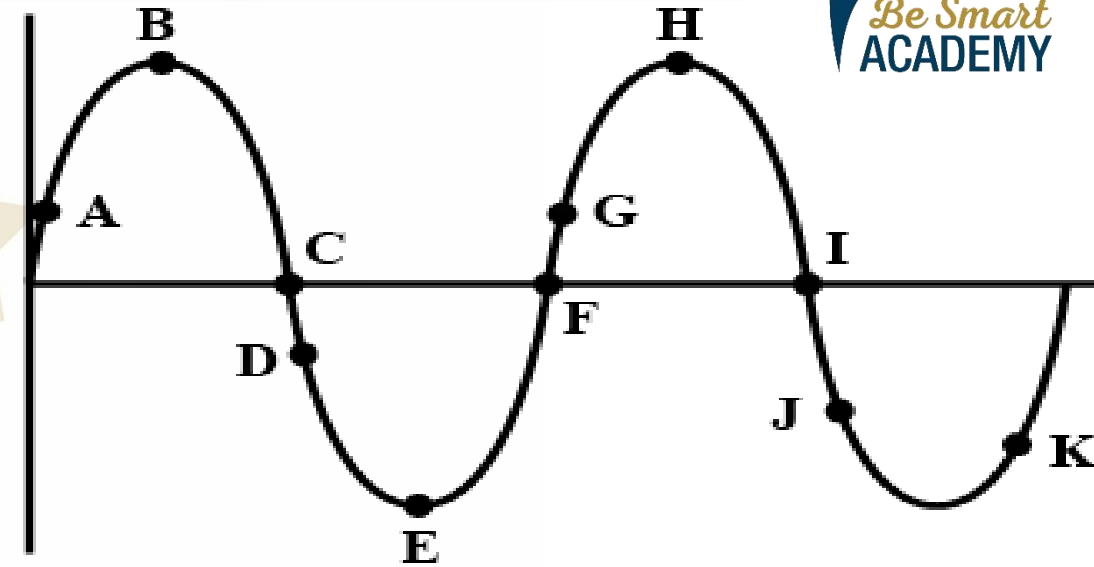
Two points vibrate in phase if they reach their highest and lowest positions.

Points vibrating in phase :

- A and G vibrate in phase.
- B and H vibrate in phase
- C and F vibrate in phase

Two points vibrate **in phase** if the distance separating them is whole multiple of wave length:

$$d = k\lambda$$



Vibratory state of two points belonging to a wave

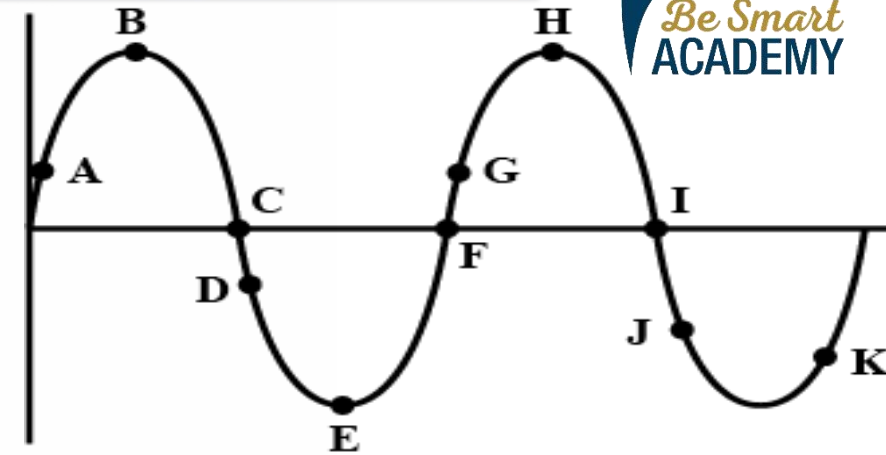


Points vibrate in anti-phase:

Two points vibrate in anti-phase if one reaches highest position while the other reaches lowest position at same time:

Points vibrating in antiphase:

- B & E are vibrating in antiphase.
- G & J are vibrating in antiphase.
- E & H are vibrating in antiphase.



Two points vibrate in **out of phase** if the distance separating them is whole multiple of wave length:

$$d = (2k + 1) \frac{\lambda}{2}$$

Vibratory state of two points belonging to a wave



Application 3: A vibratory point source S hits the surface of water in a ripple tank with a frequency $f = 50$ Hz. The distance measured along a wave ray between the first and the sixth crest is $d = 3$ cm.

- 1) Indicate the nature and the type of the wave produced on water.
- 2) Calculate the wavelength and deduce the speed of the wave.
- 3) We choose at the surface of the water the points A, B, C and D such that $SA = 1.7$ cm, $SB = 2.4$ cm, $SC = 3.5$ cm and $SD = 3.8$ cm. Determine the vibratory state of
 - a) A with respect to C.
 - b) A with respect to D.
 - c) S with respect to A.

Vibratory state of two points belonging to a wave

$f = 50 \text{ Hz}$, $d = 3 \text{ cm}$.

1) Indicate the nature and the type of the wave produced on water.

The nature of this wave is mechanical and its type transverse

2) Calculate the wavelength and deduce the speed of the wave.

$$5\lambda = 3$$



$$\lambda = 0.6 \text{ cm}$$

$$v = \lambda \cdot f = 0.6 \times 50$$



$$v = 30 \text{ cm/s}$$

Vibratory state of two points belonging to a wave

$f = 50 \text{ Hz}$, $d = 3 \text{ cm}$.

3) We choose at the surface of the water the points A, B, C and D such that $SA = 1.7 \text{ cm}$, $SB = 2.4 \text{ cm}$, $SC = 3.5 \text{ cm}$ and $SD = 3.8 \text{ cm}$. Determine the vibratory state of:

a) A with respect to C.

$$\frac{d}{\lambda} = \frac{SC - SA}{\lambda}$$

$$3 = \text{integer} = K$$

$$\frac{d}{\lambda} = \frac{3.5 - 1.7}{0.6}$$

Hence A and C vibrate in phase

Vibratory state of two points belonging to a wave

$f = 50 \text{ Hz}$, $d = 3 \text{ cm}$.



b) A with respect to D.

$$\frac{d}{\lambda} = \frac{SD - SA}{\lambda} = \frac{3.8 - 1.7}{0.6} = 3.5 = \frac{2k+1}{2}$$

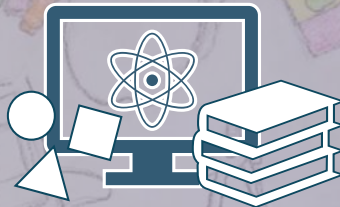
hence A and D vibrate in anti phase

c) S with respect to A.

$$\frac{d}{\lambda} = \frac{SA}{\lambda} = \frac{1.7}{0.6} = 2.83$$

hence A vibrate neither in phase nor in antiphase with respect to S

The End



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OBJECTIVES

5 Study the stroboscopy technique

Study the stroboscopy technique

Stroboscopy is a technical method used to study fast motion.

The stroboscope: is an instrument which emits periodic, intensive and brief flashes.

- **The period T_e :** of flashes is the time separating two consecutive flashes.
- **The frequency (f_e):** of flashes is which expressed in flashes/second.



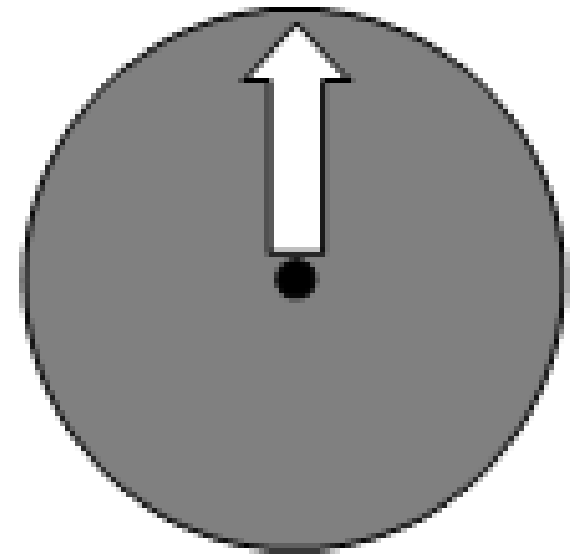
Study the stroboscopy technique

Observation a fast periodic motion using a stroboscope:

Consider a disk is in fast periodic motion of frequency f . The disk is illuminated in a dark room by a stroboscope which emits flashes of frequency f_e

We will obtain the following cases:

Case 1: $f = f_e$ then $T = T_e$
We will observe motionless or one stationary segment.



Study the stroboscopy technique

Case 2: $f = kf_e$

We will observe motionless or one stationary segment.

Case 3: $f_e = kf$ or $f = \frac{f_e}{k}$ then

We will observe k motionless segment.

- If $k=1$, we observe 1 motionless segment.
- If $k=2$, we observe 2 motionless segment.

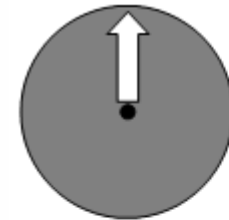
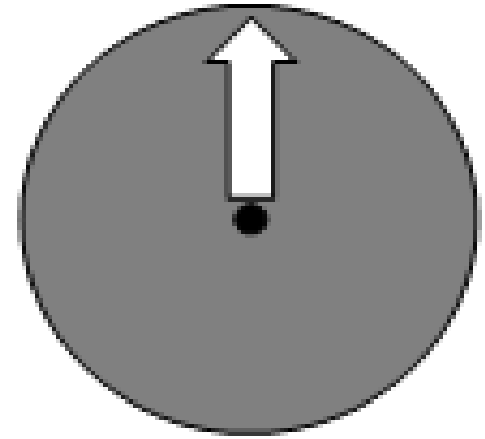


Figure 1

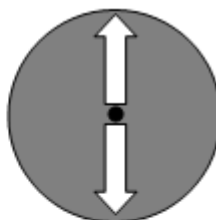


Figure 2

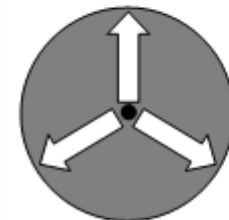


Figure 3

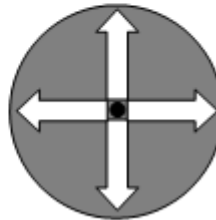


Figure 4

Study the stroboscopy technique



Case 4: $f \gtrsim f_e$

The segment seems in apparent slow motion in the real direction of rotation of the disk.

The apparent frequency of the apparent motion of the disk is given by $f_{\text{app}} = |f_e - f|$

Case 5: $f \lesssim f_e$

The segment seems in apparent slow motion in the real opposite direction of rotation of the disk.

The apparent frequency of the apparent motion of the disk is given by $f_{\text{app}} = |f_e - f|$

Study the stroboscopy technique



Application 4:

A black disk, with a white radial segment, rotating at $f=50\text{r.p.s}$ is illuminated in a dark room by a stroboscope of frequency f_e . Determine the apparent shape and apparent frequency of the disk for the following cases:

1. $f_e = 50$	2. $f_e = 25$	3. $f_e = 100$
4. $f_e = 47$	5. $f_e = 52$	6. $f_e = 5$

Take the time of persistence of vision as $T_p = 0.1\text{s}$

Study the stroboscopy technique

$f=50\text{r.p.s}$ and $T_P = 0.1\text{s}$

1) **For $f = f_e = 50$**
then one motionless segment is observed.

$$f_{\text{app}} = |f_e - f| = 50 - 50 = 0$$

2) **For $f = 50$ and $f_e = 25$**

then $f = 2f_e$:

Then one motionless segment is observed.

$$f_{\text{app}} = |f_e - f| = |25 - 50| = |-25| = 25\text{Hz}$$

Study the stroboscopy technique

$$f=50\text{r.p.s and } T_p = 0.1\text{s}$$

3) **For $f = 50$ and $f_e = 100$**

then $f_e = 2f$

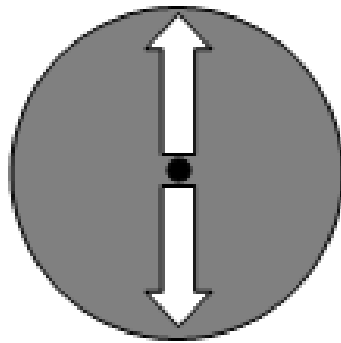
Then two motionless segment is observed.

4) **For $f = 50$ and $f_e = 47$**

then $f \gtrsim f_e$:

The disk is observed in slow apparent motion in the real sense of rotation

$$f_{\text{app}} = |f_e - f| = |47 - 50| = |-3| = \mathbf{3\text{Hz}}$$



Study the stroboscopy technique



$f=50\text{r.p.s}$ and $T_p = 0.1\text{s}$

5) **For $f = 50$ and $f_e = 52$**

then $f_e \gtrsim f$

The disk observed in slow apparent motion in the opposite sense of rotation.

$$f_{\text{app}} = |f_e - f| = |52 - 50| = |2| = 2\text{Hz}$$

6) **For $f = 50$ and $f_e = 5$**

then $f = 10f_e$:

We observe one fixed or motionless segment

$$f_{\text{app}} = |f_e - f| = |5 - 50| = |-45| = 45\text{Hz}$$

The End

